

# 4. A TEST OF THE BALASSA-SAMUELSON EFFECT APPLIED TO CHINESE REGIONAL DATA

Qian GUO\*  
Stephen G. HALL\*\*

## Abstract

*In this paper, we investigate the relevance of the Balassa-Samuelson effect to the determination of regional inflation in China, for the period 1985 – 2000. To do this, we first construct annual measures of Chinese inflation and industry input on regional and sectoral basis. Then we generalise the Asea and Mendoza (1994) settings to consider asymmetric productivity shocks across sectors. Testing this model on Chinese Regional Data aid of non-stationary panel data techniques, it shows that our extended theoretical model is a good empirical representation of the Chinese data that supports the Balassa-Samuelson effect. Moreover, we are able to test the Asea and Mendoza (1994) version of our general model and find that the restrictions are rejected.*

**Keywords:** Balassa-Samuelson effect, productivity shocks, panel data

**JEL Classification:** E23, C23

## 1. Introduction

The foundations of productivity-based models of the real exchange rate, such as those of Balassa (1964) and Samuelson (1964), suggest that rapid economic growth is accompanied by real exchange rate appreciation because of productivity growth differentials between tradable and nontradable sectors. In the past forty years or so, this proposition has been the leading principle for most real exchange rate studies.

A number of different predictions of the Balassa-Samuelson model have been explored in the literature. Some empirical analyses are static in nature and examine

\* Business School, Loughborough University, Ashby Road, Loughborough LE11 3TU, UK, Phone: 44(0)1509223177 E-mail: [g.guo@lboro.ac.uk](mailto:g.guo@lboro.ac.uk)

\*\* Department of Economics, University of Leicester, University Road, Leicester LE1 7RH, UK, Phone: 44(0)1162522827 Fax: 44(0)1162522908 E-mail: [s.g.hall@le.ac.uk](mailto:s.g.hall@le.ac.uk); National Institute of Economic and Social Research, 2 Dean Trench Street, Smith Square, London SW1P 3HE, UK, Phone: 44(0)2076541929 Fax: 44(0)2076541900, E-mail: [shall@niesr.ac.uk](mailto:shall@niesr.ac.uk)

the major components of theory straightforwardly,<sup>1</sup> so that the relative price of nontradable goods is determined by supply side factors, such as productivity. Others have focused on some type of rigidity, such as adjustment costs, so that both supply and demand shocks have an effect on the real exchange rate.<sup>2</sup> Furthermore, several studies are concerned with intertemporal equilibrium model incorporating nontradables, which, in general, specifies production and consumption in the context of intertemporal optimization. In such a strand of literature, Chinn (1995) and (1996), De Gregorio and Wolf (1994), Froot and Rogoff (1991), Obstfeld (1993), and Rogoff (1992) adopt the unbalanced-growth framework to capture the empirical regularities observed by the Balassa (1964) and Samuelson (1964).

However, little theoretical and empirical research has been carried out on developing balanced-growth models. Exception is Asea and Mendoza (1994). They impose the constraints required for balanced long-run growth driven by labour-augmenting technological progress to capture the closed-form solutions for the relative price of nontradable and real exchange rate, assuming that the productivity shocks follow transitory deviations from the steady-state growth path. Our analyses extend the Asea and Mendoza (1994) approach and differ from them in that we model the two-country and two-sector world where shocks to technologies are heterogeneous across sectors. As a result, along the balanced-growth path, the relative price of nontradables reflects sectoral labour shares, sectoral capital-output ratios, and sectoral Total Factor Productivities (TFPs). The ratio of capital to output in the tradable sector can also be expressed as a log-linear function of the investment-output ratio in the same sector. We also provide an appraisal of the theory by embedding it in a real exchange rate type of framework.

The empirical tests take into account the cross-sectional nature of the Balassa-Samuelson model for 30 Chinese regions.<sup>3</sup> To do this, we turn to annual measures of Chinese inflation and industry input on regional and sectoral basis, for the period 1985 – 2000, which has been especially constructed for this work.<sup>4</sup> The empirical evidence

<sup>1</sup> See, in particular, Canzoneri et al. (1999), Chinn (2000), Drine and Rault (2002), (2003), Marston (1990), Micossi and Milesi-Ferretti (1994), Strauss (1995), and Vikas and Ogaki (1999).

<sup>2</sup> See, for example, De Gregorio et al. (1994b) and De Gregorio and Wolf (1994).

<sup>3</sup> We observe that the RMB real exchange rate underwent several *devaluations* during China's fast growing 1985 – 2000 periods. This argues for a re-examination of the determinants of the RMB/Dollar exchange rate, in light of the Balassa-Samuelson effect. Such an enterprise is a useful one because the relevance of the Balassa-Samuelson effect implies that the rapid growth is attributed to rapid manufacturing (and hence tradable) sector productivity growth rather than the export-oriented growth, which appears quite likely while an economy starts to adopt an open-economy policy.

<sup>4</sup> A modest contribution of this paper is the construction of a sectoral database for industrial analysis on China, which is primarily based on the China Statistical Yearbook. The reason why estimation based on regional data is interesting for China lies in the fact that the inflation and productivity trends across Chinese regions have varied enormously. For example, from 1992 to 1999, the average annual rates of variation for consumer price index have ranged from 8.1 per cent in Hainan to 11.5 per cent in Beijing. Over the decade of the 1990s, total inflation in

we provide, based on recently developed non-stationary panel data methods, suggests that cross-region differences in long-run domestic relative prices of nontradables are determined by differences in the sectoral capital-output ratios and in the sectoral TFPs. Thus, we are able to test the Asea and Mendoza (1994) model restrictions relative to our more general model and these restrictions are rejected. We also find that the model performs well as a theory accounting for trend deviations from Purchasing Power Parity (PPP) – evidence shows that the long-run relative price differentials are useful in explaining cross-region differences in the level of real exchange rate.

Our study is organised as follows. Section 2 describes the general equilibrium model that motivates our empirical tests. Section 3 presents the data and variable constructions. Section 4 summarises our empirical evidence. Section 5 concludes the paper.

## **2. The Balassa-Samuelson Effect: A General Equilibrium Approach**

The main theoretical framework on which we base our empirical work is the two-country and two-sector general equilibrium analysis of the Balassa-Samuelson effect first proposed by Asea and Mendoza (1994). The original work focuses on the long-run balanced growth, assuming that the productivity shocks follow transitory deviations from the steady-state growth path.<sup>5</sup> In our model, although the sectoral outputs grow at the same rate, there is still a difference in productivity shifters. And so there is a differential in TFP growth, to the extent that technological shocks and labour shares in the tradable and nontradable sectors differ. In what follows, we first briefly review the Balassa-Samuelson framework. Then we extend the Asea and Mendoza (1994) settings to consider a more general assumption on technologies.

### ***The Balassa-Samuelson Hypothesis***

According to Balassa-Samuelson effect, in fast growing countries, productivity growth in the tradable sector tends to be much higher than in the nontradable sector, and so the relative price of nontradables is expected to rise faster.<sup>6</sup> Combining this with the assumption that the prices of tradable goods are equalised across countries, the real currency appreciation of the country with high growth is derived. Our next strategy is to provide an appraisal of this theory by putting it in a general equilibrium setting.

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Beijing exceeds that in Hainan by 40 per cent (Guillaumont Jeanneney and Hua, 2002). Such diversity would make it rather difficult to apply time series methods to aggregated data.

<sup>5</sup> As a result, the sectoral random disturbances to technologies cancel each other out in the closed-form solutions of the relative price.

<sup>6</sup> The intuition is as follows. If we assume that the nontradable sector is relatively more labour intensive, then an increase in tradable sector productivity tends to raise the wages, and so the nontradable price must increase relatively more.

**The Firms**

Suppose that there are two industries in the economy, each containing a large number of homogeneous firms, producing tradable (T) and nontradable (N) goods subject to the constant-returns-to-scale production function with the labour-augmenting<sup>7</sup> technological progress:  $Y_t^i = A_t^i (K_t^i)^{1-\alpha_i} (X_t N_t^i)^{\alpha_i}$ ,  $i = T, N$ , where  $Y_t^i$  is the output value,  $A_t^i$  is a random disturbance to TFP,  $K_t^i$  is the predetermined value of the capital stock,  $X_t$  is an index of technology,  $N_t^i$  is the flow of labour hours, and  $\alpha^i$  is the labour share. The Solow residual, or, the TFP, for each sector  $i$  is:  $\theta_t^i = A_t^i (X_t)^{\alpha_i}$ ,  $i = T, N$ . The production function has standard neoclassical properties. It is concave and twice continuously differentiable, satisfies the Inada conditions and implies that both factors of production are essential.

Let us denote the flow of leisure hours as  $L$ . The domestic labour market is in equilibrium ex-ante where  $1 - L = N^T + N^N$ . Labour is internationally immobile but can migrate instantaneously between sectors within the economy. There is, however, no economy-wide resource constraint for capital comparable to the labour constraint. The evolution of capital is:  $\gamma K_{t+1} = (1 - \delta)K_t + I_t$ , where  $\gamma$  is the nominal interest rate;  $\delta$  is the rate of depreciation; the investment  $I_t$  is the amount of current output stored for use in the production in the next period.

The assumption of perfect mobility of labour across sectors ensures that the wage

rates are identical in two sectors in the long-run, which shows:  $p_t^N = \frac{\alpha_T \frac{Y_t^T}{N_t^T}}{\alpha_N \frac{Y_t^N}{N_t^N}}$ , where

$p_t^N$  is the relative price of nontradable goods, that is,  $p_t^N = \frac{P_t^N}{P_t^T}$ . Substituting the

production functions into  $p_t^N$ , we have:

$$p_t^N = \frac{\alpha_T (\theta_t^T)^{\alpha_T} \left(\frac{K_t^T}{Y_t^T}\right)^{\frac{1-\alpha_T}{\alpha_T}}}{\alpha_N (\theta_t^N)^{\alpha_N} \left(\frac{K_t^N}{Y_t^N}\right)^{\frac{1-\alpha_N}{\alpha_N}}} \tag{1}$$

<sup>7</sup> For the economy to grow at a constant rate, technological progress must take the labour-augmenting form (Solow 1956).

**The Households**

We assume that the economy consists of infinitely lived consumers, who maximize their discounted sum of the expected utility:

$$Max_{C_t^T, C_t^N, L_t} E[\sum_{t=0}^{\infty} D^t U(C_t^T, C_t^N, L_t)],$$

where  $E$  is the expectation operator;  $D = \frac{1}{1+\rho}$  is the annual discount factor,  $0 < D < 1$ ,  $\rho$  is the annual subjective discount rate;  $U(C_t^T, C_t^N, L_t)$  is the instantaneous utility,<sup>8</sup>  $C_t^T$  and  $C_t^N$  are the consumption expenditures on tradable and nontradable goods, respectively, subject to the budget constraint:

$$C_t^T + P_t^N C_t^N = (r_t^T K_t^H + r_t^{T*} K_t^F + P_t^N r_t^N K_t^N) + (w_t^T N_t^T + P_t^N w_t^N N_t^N) - \gamma(K_{t+1}^H + K_{t+1}^F + P_t^N K_{t+1}^N) + (1-\delta)(K_t^H + K_t^F + P_t^N K_t^N) - \gamma R_t b_{t+1} + b_t,$$

where we take the tradable goods as the numeraire, with a common price of one in each of two countries, home (H) and foreign (F); the nontradable goods have distinct home and foreign prices; an asterisk denotes the foreign country;  $r_t^j$  is the real interest rate;  $w_t^j$  is the real wage rate;  $R_t$  is the inverse of the real gross rate of return paid on international bonds;  $b_t$  is the net foreign assets accumulated by the households.

<sup>8</sup> The instantaneous utility function  $U(C_t^T, C_t^N, L_t)$  has the form of the constant-intertemporal-elasticity-of-substitution, where the inverse of the elasticity of marginal utility is constant. It is assumed log linear in its two arguments:  $U(C_t^T, C_t^N, L_t) = \ln[U(C_t^T, C_t^N) L_t^\omega]$ , where  $\omega$  is the elasticity of leisure. The utility function  $U(C_t^T, C_t^N)$  has the form of constant-elasticity-of-substitution:  $U(C_t^T, C_t^N) = [\Omega(C_t^T)^{-\mu} + (1-\Omega)(C_t^N)^{-\mu}]^{-\frac{1}{\mu}}$ , where  $\mu > 1$ ,  $\mu \neq 0$ ,  $EL_{C_t^T, C_t^N} = \frac{1}{1+\mu}$ ;  $\Omega$  is the share of the composite consumption and  $0 < \Omega < 1$ . The specifications of the utility functions  $U(C_t^T, C_t^N, L_t)$  and  $U(C_t^T, C_t^N)$  allow us to obtain some specific form of the instantaneous utility such that  $U(C_t^T, C_t^N, L_t) = \frac{[\Omega(C_t^T)^{-\mu} + (1-\Omega)(C_t^N)^{-\mu}]^{-\frac{1}{\mu}} L_t^\omega}{1-\sigma}$ , where  $\sigma > 0$  is the inverse of the elasticity of the intertemporal substitution.

<sup>9</sup> In the absence of the government sector, the representative households' consumption expenditures are financed by the value of total output minus investment plus net foreign assets. In addition, the assumption of perfect international capital mobility means that resources can always be borrowed abroad and turned into domestic capital. Thus, the total real returns paid to the households include the ones on the capital stock in the foreign tradable sector.

**Competitive Equilibrium and Relative Price**

The Lagrangean maximization problem with respect to  $C_t^T$  and  $C_{t+1}^T$  yields:

$$\frac{U_1(t)}{DE[U_1(t+1)]} = \frac{\lambda_t}{\lambda_{t+1}}, \tag{2}$$

where we denote  $U'(C_t^T, C_t^N, L_t)$  as  $U_1(t)$ ,  $U'(C_{t+1}^T, C_{t+1}^N, L_{t+1})$  as  $U_1(t+1)$ ,  $U'(\cdot)$  is the differentiation operator. Another set of market clearing conditions is obtained through differentiating the Lagrangean with respect to  $b_{t+1}$ ,  $K_{t+1}^H$ ,  $K_{t+1}^F$ , and  $K_{t+1}^N$ , respectively:

$$\lambda_t \gamma R_t = \lambda_{t+1} \tag{3}$$

$$\lambda_{t+1} [r_{t+1}^T + (1 - \delta)] = \lambda_t \gamma \tag{4}$$

$$\lambda_{t+1} [r_{t+1}^{T*} + (1 - \delta)] = \lambda_t \gamma \tag{5}$$

$$\lambda_{t+1} P_{t+1}^N [r_{t+1}^N + (1 - \delta)] = \lambda_t P_t^N \gamma \tag{6}$$

By substituting eq. (3) - (6) into (2), one can see the following equilibrium conditions:

$$\gamma R_t U_1(t) = DE[U_1(t+1)], \tag{7}$$

$$\gamma U_1(t) = DE[U_1(t+1)] [r_{t+1}^T + (1 - \delta)], \tag{8}$$

$$\gamma U_1(t) = DE[U_1(t+1)] [r_{t+1}^{T*} + (1 - \delta)], \tag{9}$$

$$P_t^N \gamma U_1(t) = DE[U_1(t+1)] P_{t+1}^N [r_{t+1}^N + (1 - \delta)]. \tag{10}$$

From eq. (8) and (10), it follows that in a deterministic stationary equilibrium with perfect sectoral capital mobility, the marginal product of capital in the tradable and nontradable sectors are equalised (Asea and Mendoza 1994), which is:

$(1 - \alpha_T) \frac{Y_t^T}{K_t^T} = (1 - \alpha_N) \frac{Y_t^N}{K_t^N}$ . If we incorporate this equilibrium condition into our relative

price expression (1), we further generate:

$$P_t^N = \frac{\alpha_T (\theta_t^T)^{\frac{1}{\alpha_T}}}{\alpha_N (\theta_t^N)^{\frac{1}{\alpha_N}}} \left( \frac{1 - \alpha_N}{1 - \alpha_T} \right)^{\frac{\alpha_N - 1}{\alpha_N}} \left( \frac{K_t^T}{Y_t^T} \right)^{\frac{1 - \alpha_T}{\alpha_T} - \frac{1 - \alpha_N}{\alpha_N}}. \tag{11}$$

Eq. (11) may be re-written in terms of the steady-state investment as:

$$P_t^N = \frac{\alpha_T (\theta_t^T)^{\frac{1}{\alpha_T}}}{\alpha_N (\theta_t^N)^{\frac{1}{\alpha_N}}} \left( \frac{1 - \alpha_N}{1 - \alpha_T} \right)^{\frac{\alpha_N - 1}{\alpha_N}} \left( \frac{\frac{I_t^T}{Y_t^T}}{\gamma - (1 - \delta)} \right)^{\frac{1 - \alpha_T}{\alpha_T} - \frac{1 - \alpha_N}{\alpha_N}} \tag{12}$$

### The Long-run Real Exchange Rate

Suppose that the representative households have the constrained budget minimization problem for unit utility:  $\text{Min}_{c_i^T, c_i^N} UC = P_i^T c_i^T + P_i^N c_i^N$ , subject to:

$U(c_i^T, c_i^N) = [\Omega(c_i^T)^{-\mu} + (1-\Omega)(c_i^N)^{-\mu}]^{-\frac{1}{\mu}} = 1$ , where UC is the budget of the household for obtaining one unit of utility;  $c_i^T$  and  $c_i^N$  are the shares of one unit composite utility.

The first order conditions generate the following costs function:

$$UC = [\Omega^{\frac{1}{1+\mu}} (P_i^T)^{\frac{\mu}{1+\mu}} + (1-\Omega)^{\frac{1}{1+\mu}} (P_i^N)^{\frac{\mu}{1+\mu}}]^{\frac{1+\mu}{\mu}}$$

In the perfect competitive equilibrium, the unit cost of obtaining the composite consumption goods equals the price of the goods. Hence, in the long-run, the price of the goods should take the form of:

$$P_i(P_i^T, P_i^N) = [\Omega^{\frac{1}{1+\mu}} (P_i^T)^{\frac{\mu}{1+\mu}} + (1-\Omega)^{\frac{1}{1+\mu}} (P_i^N)^{\frac{\mu}{1+\mu}}]^{\frac{1+\mu}{\mu}}$$

By substituting the price equation into the real exchange rate expression  $e_t$  with  $q_t$  denoting the nominal exchange rate, we can see:

$$e_t = q_t \frac{[\Omega^{*1+\mu*} (P_i^T *)^{\frac{\mu*}{1+\mu*}} + (1-\Omega^*)^{\frac{1}{1+\mu*}} (P_i^N *)^{\frac{\mu*}{1+\mu*}}]^{\frac{1+\mu*}{\mu*}}}{[\Omega^{\frac{1}{1+\mu}} (P_i^T)^{\frac{\mu}{1+\mu}} + (1-\Omega)^{\frac{1}{1+\mu}} (P_i^N)^{\frac{\mu}{1+\mu}}]^{\frac{1+\mu}{\mu}}}, \quad (13)$$

where an asterisk represents the foreign country. Multiplying the numerator and

denominator of eq. (13) by  $\frac{[(P_i^T *)^{\frac{-\mu*}{1+\mu*}}]^{\frac{1+\mu*}{\mu*}}}{[(P_i^T *)^{\frac{-\mu*}{1+\mu*}}]^{\frac{1+\mu*}{\mu*}}}$  and  $\frac{[(P_i^T)^{\frac{-\mu}{1+\mu}}]^{\frac{1+\mu}{\mu}}}{[(P_i^T)^{\frac{-\mu}{1+\mu}}]^{\frac{1+\mu}{\mu}}}$ , respectively, we

have:

$$e_t = \frac{[\Omega^{*1+\mu*} + (1-\Omega^*)^{\frac{1}{1+\mu*}} (p_i^N *)^{\frac{\mu*}{1+\mu*}}]^{\frac{1+\mu*}{\mu*}}}{[\Omega^{\frac{1}{1+\mu}} + (1-\Omega)^{\frac{1}{1+\mu}} (p_i^N)^{\frac{\mu}{1+\mu}}]^{\frac{1+\mu}{\mu}}}, \quad (14)$$

where in the Balassa and Samuelson framework it is assumed that the PPP holds for

the tradable goods; we denote  $\frac{P_i^N *}{P_i^T *}$  as  $p_i^N *$ , and  $\frac{P_i^N}{P_i^T}$  as  $p_i^N$ . Eq. (14)

demonstrates that home's real exchange rate against foreign depends only on the internal relative prices of nontradable goods.

**Regression Equations**

Referring back to eq. (1), (11), (12), and (14), we can transform them into panel regression equations, respectively, as:

$$\ln p_{jt}^N = \delta_{0j} + \delta_1 \ln\left(\frac{K_{jt}^T}{Y_{jt}^T}\right) + \delta_2 \ln\left(\frac{K_{jt}^N}{Y_{jt}^N}\right) + \delta_3 \ln \theta_{jt}^T + \delta_4 \ln \theta_{jt}^N + \varepsilon_{jt} \quad (I)$$

$$\ln p_{jt}^N = \gamma_{0j} + \gamma_1 \ln\left(\frac{K_{jt}^T}{Y_{jt}^T}\right) + \gamma_2 \ln \theta_{jt}^T + \gamma_3 \ln \theta_{jt}^N + \varepsilon_{jt} \quad (II)$$

$$\ln p_{jt}^N = \eta_{0j} + \eta_1 \ln\left(\frac{I_{jt}^T}{Y_{jt}^T}\right) + \eta_2 \ln \theta_{jt}^T + \eta_3 \ln \theta_{jt}^N + \varepsilon_{jt} \quad (III)$$

$$\ln e_{jt} = \zeta_{0j} + \zeta_1 (\ln p_{jt}^N * - \ln p_{jt}^N) + \varepsilon_{jt} \quad (IV)$$

$(j = 1, \dots, J, t = 1, \dots, T)$

For eq. (I), since labour productivity is a monotonic transformation of the capital-output ratio,<sup>10</sup> the relative price of nontradable goods is in line with the relative labour productivity of the tradable sector. Consequently, the coefficient on  $\ln\left(\frac{K_{jt}^T}{Y_{jt}^T}\right)$ , which is

$\delta_1$ , needs to be positive, and the coefficient on  $\ln\left(\frac{K_{jt}^N}{Y_{jt}^N}\right)$ , which is  $\delta_2$ , needs to be negative, if the Balassa-Samuelson effect holds.

Usually we restrict  $\delta_3 = -\delta_4$ , and say that the coefficient on  $(\ln \theta_{jt}^T - \ln \theta_{jt}^N)$  should be positive if the theory holds. Alternatively, we may estimate eq. (I) directly. The theory requires  $\delta_3$  and  $\delta_4$  to be positive and negative, respectively. By the same reasoning, we would expect that  $\gamma_2$  in eq. (II), to be positive, and  $\gamma_3$ , to be negative. Also,  $\eta_2$  and  $\eta_3$ , both in eq. (III), need to be positive and negative respectively.

Following Kravis et al. (1983) and Stockman and Tesar (1995),<sup>11</sup> we assume that tradables are relatively labour intensive, that is,  $\alpha_T > \alpha_N$ . Then, under such a condition, both  $\gamma_1$  and  $\eta_1$  should be negative.

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<sup>10</sup>  $\frac{Y_t^i}{N_t^i} = (A_t^i)^{\alpha_i} \left(\frac{K_t^i}{Y_t^i}\right)^{1-\alpha_i} X_t^i, i = T, N.$

<sup>11</sup> They find that labour's share of the income generated in the tradable sector is greater than that in the nontradable sector in their sample.



The theory suggests that the real exchange rate and relative price differential between home and foreign countries are negatively correlated.<sup>12</sup> Hence, the coefficient on relative price differential, which is  $\zeta_1$  in eq. (IV), is expected to be negative.<sup>13</sup>

### 3. Data and Variable Construction

Our central contribution to the literature is the construction of a large sectoral database for industrial analysis, which is primarily based on the China Statistical Yearbook (CSYB). Therefore the details of the data and the construction of the empirical counterparts to the theoretical variables merit some discussion.

China is composed of twenty-two provinces (Anhui, Fujian, Gansu, Guangdong, Guizhou, Hainan, Hebei, Heilongjiang, Henan, Hubei, Hunan, Jiangsu, Jiangxi, Jilin, Liaoning, Qinghai, Shanxi, Shaanxi, Shandong, Sichuan, Yunnan, and Zhejiang), five autonomous regions (Guangxi, Inner Mongolia, Ningxia, Xinjiang, and Tibet), four municipalities (Beijing, Chongqing,<sup>14</sup> Shanghai, and Tianjin), and two special administrative regions (Hong Kong and Macau). Hong Kong and Macau are not within our scope of study due to different political and administrative systems compared to mainland China. The data for Chongqing have been integrated with those for Sichuan due to the lack of data before 1997. Thus, our sample consists of thirty regions. The data are yearly in frequency, for the period 1985 – 2000.

The nominal exchange rate is the annual average rate that is calculated based on monthly averages, in Chinese RMB yuan per U.S. dollar, from the IMF's *International Financial Statistics (IFS)*. The real exchange rate is the bilateral real exchange rate between each region of China and the United States, adjusted to the difference in the GDP deflators of each region and the United States. The regional GDP deflator is the ratio of nominal to real GDP index (2000=1000)<sup>15</sup> for each region.

We follow De Gregorio and Wolf (1994) classification schemes, which classify sectors on the basis of export shares in output for the whole sample of regions with a cut-off point of 10 per cent to delineate nontradables. The 10 per cent threshold classifies the Chinese agriculture (farming, forestry, animal husbandry, and fishery) and industry (excavation, manufacturing, production and supply of power, gas, and water) as the tradable sector, and the remaining construction, transportation, storage, postal and telecommunications services, wholesale, retail trade, and catering services as the nontradable sector.

<sup>12</sup> A fall in home's real exchange rate against foreign implies appreciation since we define the nominal exchange rate as the local currency value in terms of the foreign currency.

<sup>13</sup> Eq. (IV) has been empirically examined by, in particular, Chinn (2000) for Asia Pacific countries, and Vikas and Ogaki (1999) for several exchange rates.

<sup>14</sup> Chongqing was formerly (until 14 March 1997) a sub-provincial city within Sichuan province.

<sup>15</sup> The real GDP index is obtained through the GDP index with the preceding year treated as 100.

The sectoral prices (2000=100) for each region are the ratio of the nominal to real GDP index,<sup>16</sup> both at 2000 constant prices for each sector and region. The relative price differential is calculated as the difference in the relative prices of each Chinese region and the United States.

Attempting a procedure for calculating sectoral productivity is a difficult enterprise. Previous analyses of productivity-based models of the real exchange rate have employed labour productivity,<sup>17</sup> which is calculated as GDP per hour worked, or, the total factor productivity (TFP).<sup>18</sup> As De Gregorio et al. (1994a) show, the use of labour productivity might be tainted by the demand effects, such as labour shedding, or, the unadjustment process for part-time workers especially in the agricultural sector (Chinn 2000). In this study, we use the TFP approach constructed from the production functions, namely the real GDP, capital stock, employment,<sup>19</sup> and factor returns.<sup>20</sup> The gross output value is the sum of the current value of final products produced in a given sector during a given period with the value of intermediate goods double counted (CSYB). Due to the lack of data on sectoral capital stock, all total capital is approximated through investment,<sup>21</sup> except the one for industry from 1993 to 2002, which is available and refers to 'the capital received by the industrial enterprises from investors that could be used as operational capitals for a long period' (CSYB). Total employment, according to the definition given by the CSYB, is "the number of staff and workers, which refers to a literal translation of the Chinese term 'zhigong' that includes employees of state-owned units in urban and rural areas (including government agencies), of collective-owned units in urban areas, of other ownership units in urban areas, and of state-collective joint ownership." Wages necessary to the construction of factor returns are the total wage bills of staffs and workers, which are also drawn from CSYB.

On the basis of the current OECD's *Structural Analysis (STAN)* industry list, the De Gregorio and Wolf (1994) 10 per cent threshold classifies the U.S. agriculture, hunting, forestry and fishing, mining and quarrying, total manufacturing, electricity,

<sup>16</sup> The sectoral GDP index (2000=100) is calculated through the real index of GDP (preceding year=100) in tradable and nontradable sectors, which is obtained using the fractions representing the composition of overall GDP and real GDP index by region and by individual sector.

<sup>17</sup> See, for example, Bergstrand (1991), Canzoneri et al. (1999), Froot and Rogoff (1991), Hsieh (1982), and Marston (1987).

<sup>18</sup> See, for example, Chinn (1995), Chinn and Johnston (1996), De Gregorio et al. (1994a) and (1994b).

<sup>19</sup> Due to the lack of data for labour hours, we follow most studies and use the total employment data as a proxy.

<sup>20</sup> However, interpreting the change in TFP as exogenous supply shocks is problematic. (Evans 1992) shows that measured Solow residuals are Granger caused by money, interest rate, and government expenditure. Also, the reliability of the TFP is likely to be affected by mis-estimates of the capital stock and labour shares.

<sup>21</sup> Investment is the capital construction investment in 'new projects, including construction of a new facility, or an addition to an existing facility, and the related activities of the enterprises, institutions or administrative units mainly for the purpose of expanding production activity, covering only projects each with a total investment of 500,000 RMB yuan and over' (CSYB).

gas, and water supply sectors as tradables, and the remaining construction, wholesale and retail trade, restaurants and hotels, transport, storage, and communication sectors as nontradables. The U.S. tradable and nontradable price deflators are constructed by dividing the nominal value added by the real value added (2000 = 100) for each sector, as reported in OECD's *Annual National Accounts – Main Aggregates* under the code VALU and VALUK respectively.

## 4. Empirical Results

The empirical relevance of those long-run predictions is examined by utilizing recently developed non-stationary panel data methods on Chinese Regional Data.

### **Static Panel Data Estimation**

Tables 1 - 8 provide the estimates of eq. (I), (II), (III) and (IV) for all 30 Chinese regions from the period 1985 – 2000, based on the pooled regression, OLS on differences, the least squares dummy variables (LSDV) regression using individual dummies in the OLS regression, the within estimates replacing  $y$  and  $W$  by subtracting the means of each time series, the between estimates replacing  $y$  and  $W$  by the individual means, the feasible generalised least squares (GLS) estimates replacing  $y$  and  $W$  by deviations from weighted time means, the GLS using OLS residuals, and the maximum likelihood estimates (MLE) obtained by iterating the GLS procedure (Baltagi 1995).<sup>22</sup>

Among these static panel models, the Balassa-Samuelson proposition is supported by the data in the Total, LSDV, within-groups, GLS using within/between groups, GLS using OLS residuals, and MLE models of eq. (I) and (IV) – all coefficients are statistically significant and of the expected signs. When looking at the outputs for eq. (I), the magnitudes of the sectoral TFP coefficients suggest that the data is able to support our extended model in that the homogeneity restrictions on TFPs across sectors, are rejected. One thing that we should be aware of is that the residuals in those regressions do not pass the diagnostic tests so well – they all fail the AR(1) test, however, they do not pass the AR(2) tests.

When estimating eq. (II), in six out of the eight cases, the coefficients of the sectoral TFPs, that is,  $\gamma_2$  and  $\gamma_3$ , are significant and of the correct signs. However, the coefficient of the tradable capital-output ratio,  $\gamma_1$ , remains positive in almost all cases, which is inconsistent with the theory.

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<sup>22</sup> The linear model is given by:  $y_{jt} = x_{jt}'\gamma + \lambda_t + \eta_j + v_{jt}$  ( $j = 1, \dots, J, t = 1, \dots, T$ ), where  $\lambda_t$  is the time effect,  $\eta_j$  is the fixed individual effect,  $x_{jt}$  is a  $k \times 1$  vector of time-varying explanatory variables assumed to be strictly exogenous,  $v_{jt}$  is a vector of the independently and identically distributed errors. Stacking the data for an individual according to time, and then stacking all individuals, and combining the data into  $W = [X:D]$  yields  $y = W\beta + v$ .

The results from estimating eq. (III) are less satisfactory. Although the coefficient of the nontradable TFP,  $\eta_3$ , appears significant and negative in almost all cases, the remaining coefficients are of the wrong sign, or not statistically different from zero. Residuals from most regressions do not pass the AR(2) tests so well.

### **Dynamic Panel Data Estimation**

In this section, we estimate eq. (I) - (IV) in levels, using one- and two-step GMM (Arellano and Bond 1991) and combined GMM estimation (Arellano and Bover 1995; Blundell and Bond 1998). The standard errors and tests are based on the robust variance matrix. In order to determine the proper lag length, we estimate equations with different combinations of the lag structure of the  $x_{jt}$  matrix. Among our experiments, we choose to look at the results where residuals pass both the Sargan<sup>23</sup> and AR(2) test, and fail the AR(1) test.<sup>24</sup>

When we estimate eq. (I), we choose the results generated by the two-step GMM estimation with one lag on relative price, tradable capital-output ratio, and nontradable TFP, and two lags on nontradable capital-output ratio and tradable TFP, respectively (Table 9). Under such specifications of instruments in GMM estimators, the residuals

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<sup>23</sup> The dynamic panel data model is given by:  $y_{jt} = \sum_{k=1}^K \alpha_k y_{j,t-k} + \beta'(L)x_{jt} + \lambda_t + \eta_j + v_{jt}$ , ( $j=1, \dots, J, t=q+1, \dots, T_j$ ), where  $\alpha_k$  is the coefficient on lagged  $y_j$ ,  $\beta(L)$  is a vector of associated polynomials in the lag operator,  $x_{jt}$  is a  $K \times 1$  vector of time-varying explanatory variables assumed to be strictly exogenous,  $\lambda_t$  is the time effect,  $\eta_j$  is the fixed individual effect, and  $v_{jt}$  is a vector of the independently and identically distributed errors, and  $q$  is the maximum lag length in the model.

The Sargan (1958, 1988) test tests the over-identifying restrictions. Define  $A_j = (\frac{1}{J} \sum_{j=1}^J Z_j' H_j Z_j)^{-1}$ , where  $Z_j$  is a matrix of instrumental variables;  $H_j$  is a weighting matrix. If  $A_j$  is optimal for any given  $Z_j$ , then under the null hypothesis that the instruments in  $Z$  are exogenous (i.e. uncorrelated with the individual effect  $\eta_j$ ), the test statistic is  $(\sum_{j=1}^J \hat{v}_j^* Z_j) A_j (\sum_{j=1}^J Z_j' \hat{v}_j^*) \sim \chi_r^2$ , where  $r$  represents the differences between the number of columns in  $Z$  and the number of columns in  $X$ .

<sup>24</sup> If the AR(1) model is mean-stationary, then  $\Delta y_{jt}$  are uncorrelated with  $\eta_j$ , which suggests that  $\Delta y_{j,t-1}$  can be used as instruments in the levels equations (Arellano and Bover 1995; Blundell and Bond 1998).

pass all diagnostic tests well. All the estimated coefficients have the expected signs; although the tradable capital-output ratio ( $\delta_1$ ) and TFP ( $\delta_3$ ) are insignificant.

We follow the same lag selection procedure described above to estimate eq. (II) - (IV) (Table 9). The coefficient that appears consistent with the theory is the one on nontradable TFP, which is negative and statistically different from zero throughout eq. (II) and (III). The remaining coefficients, such as the ones on investment-output ratio ( $\eta_1$ ) and on relative price differential ( $\zeta_1$ ), do not have the expected signs; the coefficients of tradable TFP in eq. (II) and (III), are either insignificant (p-value=0.23), or negative (-0.04).

For combined GMM estimation (Table 10), the results are generally similar to the GMM estimation with one exception. The estimated coefficient on relative price differential, which is  $\zeta_1$  in eq. (IV), is negative and significant with residuals passing all the diagnostic tests. Thus, China is observed a correct direction in the change in the relative prices - assuming that the law of one price for tradable goods hold, then, for China, during its fast growing 1985 – 2000 period, the higher the relative price of nontradable goods, the lower the real exchange rate would become.

## 5. Conclusions

The paper extends the Asea and Mendoza (1994) setting to consider asymmetric productivity shocks across sectors. Testing this model on Chinese Regional Data aid of non-stationary panel data techniques, it shows that eq. (I) of our extended Asea and Mendoza (1994) model is a reasonable empirical representation of the Chinese Balassa-Samuelson effect. The static panel data model seems mis-specified as it left out all the dynamics, and the best results are, as expected, from the dynamic one. This can be seen by looking at the Sargan test, which suggests that the instruments are exogenous. In fact, Hall and Urga (1998) show that when T is small and J is large, the GMM estimator is an efficient estimator, especially when taking the first differences or orthogonal deviations to eliminate the fixed effects. In addition, the combined two-step GMM estimation shows that China has managed to keep its real exchange rate appreciated while its growth rate is respectably high.

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Tables

Table 1

Pooled (Total) regression

Coefficient	Eq. (I)	Coefficient	Eq. (II)	Coefficient	Eq. (III)	Coefficient	Eq. (IV)
$\delta_1$	0.75** (0.01)	$\gamma_1$	0.15 (0.63)	$\eta_1$	-0.15** (0.00)	$\zeta_1$	-0.58** (0.00)
$\delta_2$	-0.78** (0.00)	$\gamma_2$	-0.04 (0.91)	$\eta_2$	-0.31** (0.00)	-	-
$\delta_3$	0.60* (0.08)	$\gamma_3$	-0.07 (0.16)	$\eta_3$	-0.10** (0.03)	-	-
$\delta_4$	-0.92** (0.00)	-	-	-	-	-	-
Constant	0.79** (0.00)	Constant	0.37** (0.05)	Constant	0.13 (0.41)	Constant	2.54** (0.00)
Trend	no	Trend	no	Trend	no	Trend	no
AR(1) test	4.04** (0.00)	AR(1) test	4.44** (0.00)	AR(1) test	4.29** (0.00)	AR(1) test	25.13** (0.00)
AR(2) test	3.97** (0.00)	AR(2) test	4.14** (0.00)	AR(2) test	4.03** (0.00)	AR(2) test	16.01** (0.00)

$\delta_1 = (K/Y)$  in  $T$  sector,  $\delta_2 = (K/Y)$  in  $N$ ,  $\delta_3 = TFP$  in  $T$ ,  $\delta_4 = TFP$  in  $N$ ;

$\gamma_1 = (K/Y)$  in  $T$ ,  $\gamma_2 = TFP$  in  $T$ ,  $\gamma_3 = TFP$  in  $N$ ;

$\eta_1 = (I/Y)$  in  $T$ ,  $\eta_2 = TFP$  in  $T$ ,  $\eta_3 = TFP$  in  $N$ ;

$\zeta_1 =$  relative price differential between U.S. and China.

Note. 1) The figures in parentheses refer to p-values; 2) Statistical significance at 5 per cent and 10 per cent levels are denoted by \*\* and \* respectively.

Table 2

OLS on differences regression

Coefficient	Eq. (I)	Coefficient	Eq. (II)	Coefficient	Eq. (III)	Coefficient	Eq. (IV)
$\delta_1$	0.44 (0.32)	$\gamma_1$	0.70** (0.05)	$\eta_1$	0.19** (0.01)	$\zeta_1$	-0.02 (0.69)
$\delta_2$	-0.88** (0.00)	$\gamma_2$	0.66* (0.08)	$\eta_2$	-0.04** (0.00)	-	-
$\delta_3$	0.42 (0.36)	$\gamma_3$	-0.31** (0.00)	$\eta_3$	-0.28** (0.00)	-	-
$\delta_4$	-1.06** (0.00)	-	-	-	-	-	-
Constant	-0.02**	Constant	-0.00	Constant	-0.01**	Constant	-0.07**



Coefficient	Eq. (I)	Coefficient	Eq. (II)	Coefficient	Eq. (III)	Coefficient	Eq. (IV)
	(0.01)		(0.69)		(0.01)		(0.00)
Trend	no	Trend	no	Trend	no	Trend	no
AR(1) test	-1.89*	AR(1) test	-1.61	AR(1) test	-1.23	AR(1) test	-3.83**
	(0.06)		(0.11)		(0.22)		(0.00)
AR(2) test	1.96	AR(2) test	0.67	AR(2) test	0.61	AR(2) test	-2.73**
	(0.05)		(0.51)		(0.54)		(0.01)

$$\delta_1 = (K/Y) \text{ in } T \text{ sector}, \delta_2 = (K/Y) \text{ in } N, \delta_3 = TFP \text{ in } T, \delta_4 = TFP \text{ in } N;$$

$$\gamma_1 = (K/Y) \text{ in } T, \gamma_2 = TFP \text{ in } T, \gamma_3 = TFP \text{ in } N;$$

$$\eta_1 = (I/Y) \text{ in } T, \eta_2 = TFP \text{ in } T, \eta_3 = TFP \text{ in } N;$$

$\zeta_1$  = relative price differential between U.S. and China.

Note. 1) The figures in parentheses refer to p-values; 2) Statistical significance at 5 per cent and 10 per cent levels are denoted by \*\* and \* respectively.

**Table 3**

**Least squares dummy variables (LSDV) regression using individual dummies in the OLS regression**

Coefficient	Eq. (I)	Coefficient	Eq. (II)	Coefficient	Eq. (III)	Coefficient	Eq. (IV)
$\delta_1$	1.19**	$\gamma_1$	0.95**	$\eta_1$	0.09	$\zeta_1$	-0.68**
	(0.00)		(0.00)		(0.16)		(0.00)
$\delta_2$	-0.68**	$\gamma_2$	0.75**	$\eta_2$	-0.36**	-	-
	(0.00)		(0.01)		(0.00)		
$\delta_3$	1.05**	$\gamma_3$	-0.20**	$\eta_3$	-0.13**	-	-
	(0.02)		(0.00)		(0.01)		
$\delta_4$	-0.87**	-	-	-	-	-	-
	(0.00)						
Constant	0.54**	Constant	0.07	Constant	0.86**	Constant	2.64**
	(0.00)		(0.67)		(0.00)		(0.00)
Trend	no	Trend	no	Trend	no	Trend	no
AR(1) test	3.70**	AR(1) test	4.19**	AR(1) test	4.27**	AR(1) test	19.47**
	(0.00)		(0.00)		(0.00)		(0.00)
AR(2) test	3.21**	AR(2) test	3.76**	AR(2) test	3.15**	AR(2) test	10.05**
	(0.00)		(0.00)		(0.00)		(0.00)

$$\delta_1 = (K/Y) \text{ in } T \text{ sector}, \delta_2 = (K/Y) \text{ in } N, \delta_3 = TFP \text{ in } T, \delta_4 = TFP \text{ in } N;$$

$$\gamma_1 = (K/Y) \text{ in } T, \gamma_2 = TFP \text{ in } T, \gamma_3 = TFP \text{ in } N;$$

$$\eta_1 = (I/Y) \text{ in } T, \eta_2 = TFP \text{ in } T, \eta_3 = TFP \text{ in } N;$$

$\zeta_1$  = relative price differential between U.S. and China.

Note. 1) The figures in parentheses refer to p-values; 2) Statistical significance at 5 per cent and 10 per cent levels are denoted by \*\* and \* respectively.

**Table 4**

**Within-groups regression**

Coefficient	Eq. (I)	Coefficient	Eq. (II)	Coefficient	Eq. (III)	Coefficient	Eq. (IV)
$\delta_1$	1.19** (0.00)	$\gamma_1$	0.95** (0.00)	$\eta_1$	0.09 (0.16)	$\zeta_1$	-0.68** (0.00)
$\delta_2$	-0.68** (0.00)	$\gamma_2$	0.75** (0.01)	$\eta_2$	-0.36** (0.00)	-	-
$\delta_3$	1.05** (0.02)	$\gamma_3$	-0.20** (0.00)	$\eta_3$	-0.13** (0.01)	-	-
$\delta_4$	-0.87** (0.00)	-	-	-	-	-	-
Constant	-	Constant	-	Constant	-	Constant	-
Trend	no	Trend	no	Trend	no	Trend	no
AR(1) test	3.70** (0.00)	AR(1) test	4.19** (0.00)	AR(1) test	4.27** (0.00)	AR(1) test	20.05** (0.00)
AR(2) test	3.21** (0.00)	AR(2) test	3.76** (0.00)	AR(2) test	3.15** (0.00)	AR(2) test	10.82** (0.00)

$\delta_1 = (K/Y)$  in T sector,  $\delta_2 = (K/Y)$  in N,  $\delta_3 = \text{TFP}$  in T,  $\delta_4 = \text{TFP}$  in N;

$\gamma_1 = (K/Y)$  in T,  $\gamma_2 = \text{TFP}$  in T,  $\gamma_3 = \text{TFP}$  in N;

$\eta_1 = (I/Y)$  in T,  $\eta_2 = \text{TFP}$  in T,  $\eta_3 = \text{TFP}$  in N;

$\zeta_1$  = relative price differential between U.S. and China.

Note. 1) The figures in parentheses refer to p-values; 2) Statistical significance at 5 per cent and 10 per cent levels are denoted by \*\* and \* respectively.

**Table 5**

**Between-groups regression**

Coefficient	Eq. (I)	Coefficient	Eq. (II)	Coefficient	Eq. (III)	Coefficient	Eq. (IV)
$\delta_1$	0.25 (0.68)	$\gamma_1$	-0.00 (1.00)	$\eta_1$	0.09 (0.66)	$\zeta_1$	-0.08 (0.52)
$\delta_2$	-0.40 (0.22)	$\gamma_2$	-0.02 (0.98)	$\eta_2$	0.12 (0.71)	-	-
$\delta_3$	0.19 (0.80)	$\gamma_3$	-0.03 (0.78)	$\eta_3$	-0.04 (0.72)	-	-
$\delta_4$	-0.48	-	-	-	-	-	-

*A Test of the Balassa-Samuelson Effect Applied to Chinese Regional Data*

Coefficient	Eq. (I)	Coefficient	Eq. (II)	Coefficient	Eq. (III)	Coefficient	Eq. (IV)
	(0.21)	-	-	-	-	-	-
Constant	0.47	Constant	0.11	Constant	0.23	Constant	2.66**
	(0.32)		(0.77)		(0.45)		(0.00)
Trend	No	Trend	no	Trend	no	Trend	no
AR(1) test	-	AR(1) test	-	AR(1) test	-	AR(1) test	-
	-		-		-		-
AR(2) test	-	AR(2) test	-	AR(2) test	-	AR(2) test	-
	-		-		-		-

$$\delta_1 = (K/Y) \text{ in } T \text{ sector}, \delta_2 = (K/Y) \text{ in } N, \delta_3 = TFP \text{ in } T, \delta_4 = TFP \text{ in } N;$$

$$\gamma_1 = (K/Y) \text{ in } T, \gamma_2 = TFP \text{ in } T, \gamma_3 = TFP \text{ in } N;$$

$$\eta_1 = (I/Y) \text{ in } T, \eta_2 = TFP \text{ in } T, \eta_3 = TFP \text{ in } N;$$

$\zeta_1$  = relative price differential between U.S. and China.

Note. 1) The figures in parentheses refer to p-values; 2) Statistical significance at 5 per cent and 10 per cent levels are denoted by \*\* and \* respectively.

**Table 6**

**GLS using within/between-groups regression**

Coefficient	Eq. (I)	Coefficient	Eq. (II)	Coefficient	Eq. (III)	Coefficient	Eq. (IV)
$\delta_1$	1.14**	$\gamma_1$	0.80**	$\eta_1$	-0.01	$\zeta_1$	-0.63**
	(0.00)		(0.00)		(0.83)		(0.00)
$\delta_2$	-0.70**	$\gamma_2$	0.59**	$\eta_2$	-0.34**	-	-
	(0.00)		(0.00)		(0.00)		-
$\delta_3$	1.00**	$\gamma_3$	-0.18**	$\eta_3$	-0.13**	-	-
	(0.00)		(0.00)		(0.00)		-
$\delta_4$	-0.88**	-	-	-	-	-	-
	(0.00)		-		-		-
Constant	0.65**	Constant	0.31**	Constant	0.69**	Constant	2.53**
	(0.00)		(0.00)		(0.00)		(0.00)
Trend	No	Trend	no	Trend	no	Trend	no
AR(1) test	13.96**	AR(1) test	17.94**	AR(1) test	15.64**	AR(1) test	22.84**
	(0.00)		(0.00)		(0.00)		(0.00)
AR(2) test	9.22**	AR(2) test	10.64**	AR(2) test	7.33**	AR(2) test	13.51**
	(0.00)		(0.00)		(0.00)		(0.00)

$$\delta_1 = (K/Y) \text{ in } T \text{ sector}, \delta_2 = (K/Y) \text{ in } N, \delta_3 = TFP \text{ in } T, \delta_4 = TFP \text{ in } N;$$

$$\gamma_1 = (K/Y) \text{ in } T, \gamma_2 = TFP \text{ in } T, \gamma_3 = TFP \text{ in } N;$$

$$\eta_1 = (I/Y) \text{ in } T, \eta_2 = TFP \text{ in } T, \eta_3 = TFP \text{ in } N;$$

$\zeta_1$  = relative price differential between U.S. and China.

Note. 1) The figures in parentheses refer to p-values; 2) Statistical significance at 5 per cent and 10 per cent levels are denoted by \*\* and \* respectively.

Table 7

GLS using OLS residuals

Coefficient	Eq. (I)	Coefficient	Eq. (II)	Coefficient	Eq. (III)	Coefficient	Eq. (IV)
$\delta_1$	1.13** (0.00)	$\gamma_1$	0.79** (0.00)	$\eta_1$	-0.01 (0.65)	$\zeta_1$	-0.64** (0.00)
$\delta_2$	-0.70** (0.00)	$\gamma_2$	0.59** (0.00)	$\eta_2$	-0.34** (0.00)	-	-
$\delta_3$	0.99** (0.00)	$\gamma_3$	-0.18** (0.00)	$\eta_3$	-0.13** (0.00)	-	-
$\delta_4$	-0.88** (0.00)	-	-	-	-	-	-
Constant	0.65** (0.00)	Constant	0.31** (0.00)	Constant	0.66** (0.00)	Constant	2.52** (0.00)
Trend	no	Trend	no	Trend	no	Trend	no
AR(1) test	14.22** (0.00)	AR(1) test	18.00** (0.00)	AR(1) test	15.84** (0.00)	AR(1) test	22.03** (0.00)
AR(2) test	9.49** (0.00)	AR(2) test	10.70** (0.00)	AR(2) test	7.58** (0.00)	AR(2) test	12.60** (0.00)

$\delta_1 = (K/Y)$  in T sector,  $\delta_2 = (K/Y)$  in N,  $\delta_3 = TFP$  in T,  $\delta_4 = TFP$  in N;

$\gamma_1 = (K/Y)$  in T,  $\gamma_2 = TFP$  in T,  $\gamma_3 = TFP$  in N;

$\eta_1 = (I/Y)$  in T,  $\eta_2 = TFP$  in T,  $\eta_3 = TFP$  in N;

$\zeta_1$  = relative price differential between U.S. and China.

Note. 1) The figures in parentheses refer to p-values; 2) Statistical significance at 5 per cent and 10 per cent levels are denoted by \*\* and \* respectively.

Table 8

Maximum likelihood estimates (MLE) obtained by iterating the GLS procedure

Coefficient	Eq. (I)	Coefficient	Eq. (II)	Coefficient	Eq. (III)	Coefficient	Eq. (IV)
$\delta_1$	1.15** (0.00)	$\gamma_1$	0.88** (0.00)	$\eta_1$	0.04 (0.26)	$\zeta_1$	-0.65** (0.00)
$\delta_2$	-0.69** (0.00)	$\gamma_2$	0.68** (0.00)	$\eta_2$	-0.35** (0.00)	-	-
$\delta_3$	1.01** (0.00)	$\gamma_3$	-0.19** (0.00)	$\eta_3$	-0.13** (0.00)	-	-

*A Test of the Balassa-Samuelson Effect Applied to Chinese Regional Data*

Coefficient	Eq. (I)	Coefficient	Eq. (II)	Coefficient	Eq. (III)	Coefficient	Eq. (IV)
$\delta_4$	(0.00) -0.88**	-	(0.00) -	-	(0.00) -	-	-
Constant	(0.00) 0.64**	Constant	(0.00) 0.30**	Constant	(0.00) 0.84**	Constant	(0.00) 2.52**
Trend	no	Trend	no	Trend	no	Trend	no
AR(1) test	13.44** (0.00)	AR(1) test	16.15** (0.00)	AR(1) test	14.51** (0.00)	AR(1) test	21.89** (0.00)
AR(2) test	8.68** (0.00)	AR(2) test	8.66** (0.00)	AR(2) test	5.99** (0.00)	AR(2) test	12.44** (0.00)

$\delta_1 = (K/Y)$  in T sector,  $\delta_2 = (K/Y)$  in N,  $\delta_3 = TFP$  in T,  $\delta_4 = TFP$  in N;

$\gamma_1 = (K/Y)$  in T,  $\gamma_2 = TFP$  in T,  $\gamma_3 = TFP$  in N;

$\eta_1 = (I/Y)$  in T,  $\eta_2 = TFP$  in T,  $\eta_3 = TFP$  in N;

$\zeta_1 =$  relative price differential between U.S. and China.

Note. 1) The figures in parentheses refer to p-values; 2) Statistical significance at 5 per cent and 10 per cent levels are denoted by \*\* and \* respectively.

**Table 9**

**One- or two-step GMM regression**

Coefficient	Eq. (I)	Lag	Coefficient	Eq. (II)	Lag	Coefficient	Eq. (III)	Lag	Coefficient	Eq. (IV)	Lag
$\delta_1$	0.56 (0.40)	1	$\gamma_1$	0.60 (0.18)	1	$\eta_1$	0.21** (0.00)	1	$\zeta_1$	0.08* (0.08)	1
$\delta_2$	- 0.95** (0.00)	2	$\gamma_2$	0.57 (0.23)	2	$\eta_2$	-0.04** (0.01)	1	-	-	-
$\delta_3$	0.56 (0.42)	2	$\gamma_3$	- 0.31** (0.00)	1	$\eta_3$	-0.19** (0.07)	2	-	-	-
$\delta_4$	- 0.98** (0.00)	1	-	-	-	-	-	-	-	-	-
Constant	0.03 (0.75)		Constant	-0.00 (0.99)		Constant	0.01 (0.74)		Constant	-0.05** (0.00)	
Trend	no		Trend	no		Trend	yes		Trend	no	
1 or 2-step Sargan test	2-step 25.19 (1.00)		1 or 2-step Sargan test	2-step 28.55 (1.00)		1 or 2-step Sargan test	1-step 104.00 (0.48)		1 or 2-step Sargan test	2-step 29.95 (1.00)	
AR(1) test	-1.62* (0.10)		AR(1) test	-1.23 (0.22)		AR(1) test	-2.25** (0.02)		AR(1) test	-3.64** (0.00)	
AR(2) test	1.41 (0.16)		AR(2) test	-0.02 (0.98)		AR(2) test	-1.43 (0.15)		AR(2) test	-0.29 (0.77)	

$\delta_1 = (K/Y)$  in T sector,  $\delta_2 = (K/Y)$  in N,  $\delta_3 = TFP$  in T,  $\delta_4 = TFP$  in N;

$\gamma_1 = (K/Y)$  in T,  $\gamma_2 = TFP$  in T,  $\gamma_3 = TFP$  in N;

$\eta_1 = (I/Y)$  in T,  $\eta_2 = TFP$  in T,  $\eta_3 = TFP$  in N;

$\zeta_1 =$  relative price differential between U.S. and China.

Note. 1) The GMM estimation uses the instruments for transformed equations; 2) The figures in parentheses refer to p-values; 3) Statistical significance at 5 per cent and 10 per cent levels are denoted by \*\* and \* respectively.

Table 10

One- or two-step combined GMM regression

Coefficient	Eq. (I)	Lag	Coefficient	Eq. (II)	Lag	Coefficient	Eq. (III)	Lag	Coefficient	Eq. (IV)	Lag
$\delta_1$	0.15	1	$\gamma_1$	0.49	1	$\eta_1$	0.20**	1	$\zeta_1$	-	1
	(0.56)			(0.13)			(0.00)			0.12**	
$\delta_2$	-0.64**	1	$\gamma_2$	0.47	1	$\eta_2$	-0.04**	1	-	-	-
	(0.00)			(0.19)			(0.04)			-	-
$\delta_3$	0.08	1	$\gamma_3$	-0.27**	1	$\eta_3$	-0.12*	1	-	-	-
	(0.74)			(0.00)			(0.07)			-	-
$\delta_4$	-0.71**	1	-	-	-	-	-	-	-	-	-
	(0.00)									-	-
Constant	0.22**		Constant	0.01		Constant	0.15**		Constant	0.28**	
	(0.02)			(0.86)			(0.00)			(0.00)	
Trend	yes		Trend	no		Trend	yes		Trend	no	
1 or 2-step	1-step		1 or 2-step	1-step		1 or 2-step	1-step		1 or 2-step	2-step	
Sargan test	337.00		Sargan test	495.30		Sargan test	272.60		Sargan test	29.94	
	(1.00)			(0.19)			(1.00)			(1.00)	
AR(1) test	-1.63*		AR(1) test	-1.23		AR(1) test	-1.79*		AR(1) test	-	
	(0.10)			(0.21)			(0.07)			3.83**	
AR(2) test	0.82		AR(2) test	1.03		AR(2) test	0.59		AR(2) test	-0.07	
	(0.41)			(0.30)			(0.56)			(0.94)	

$\delta_1 = (K/Y)$  in T sector,  $\delta_2 = (K/Y)$  in N,  $\delta_3 = TFP$  in T,  $\delta_4 = TFP$  in N;

$\gamma_1 = (K/Y)$  in T,  $\gamma_2 = TFP$  in T,  $\gamma_3 = TFP$  in N;

$\eta_1 = (I/Y)$  in T,  $\eta_2 = TFP$  in T,  $\eta_3 = TFP$  in N;

$\zeta_1 =$  relative price differential between U.S. and China.

Note. 1) The GMM estimation uses the combination of instruments for both transformed and level equations; 2) The figures in parentheses refer to p-values; 3) Statistical significance at 5 per cent and 10 per cent levels are denoted by \*\* and \* respectively.